

Influence of Reduction Factors on High Voltage Cables on the Transfer of Potentials in the Network

Nikolche Acevski¹, Angela Micevska², and Ana Manivilovska³

Abstract - The purpose of this paper is to calculate the reduction factors of 3 single-core HV cables, that is, to see the differences in the voltage at two HV 110 kV substations, substation Central and transferred to substation South New, when applying HV cables with various cross-sections placed in triangle and plane configurations.

Keywords - Reduction factor, HV cables, Plane, Triangle, Transfer of potential.

I. INTRODUCTION

The reduction factor of the HV cable is defined as the ratio between the residual current ($I_{KV} - I_e$), which continues to the end of the cable, and the error current I_{KV} , (10), (21). It shows us how much of the fault current will be injected into the grounding conductor at the end of the cable at the grounded connection at its end.

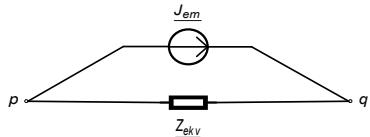


Fig. 1. Single-phase equivalent of 3 single-core cables

When the three single-core cables are laid in a triangular layout, as in Fig. 2, the following applies:

$$\underline{Z} = \begin{bmatrix} \underline{Z}_s & \underline{Z}_m & \underline{Z}_m \\ \underline{Z}_m & \underline{Z}_s & \underline{Z}_m \\ \underline{Z}_m & \underline{Z}_m & \underline{Z}_s \end{bmatrix} \quad (1)$$

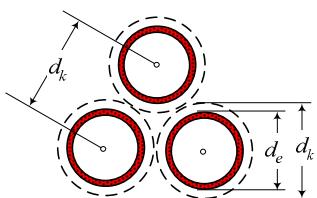


Fig. 2. Triangle configuration

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The self and mutual impedances \underline{Z}_s and \underline{Z}_m on the three cores of the cables are calculated with Carson equations, [5], for $\rho=300 \Omega\text{m}$. The cables are placed in a PVC pipe, $d=0.16 \text{ m}$.

$$D_{ek} = 658 \sqrt{\frac{\rho}{f}} = 658 \sqrt{\frac{300}{50}} = 1611.76 \text{ m}, \quad (2)$$

$$\underline{Z}_s = (0.05 + r_e + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{d_e / 2}) \cdot l, \quad (3)$$

$$\underline{Z}_m = (0.05 + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{D}) \cdot l. \quad (4)$$

So each cable with an insulated sheath observed along with its return path through the ground is represented by an I-replacement circuit. The mutual impedances between the phase conductor of phase f=A, B, C and the screens of the three wires of the cable are calculated according to (5). For phase A, (6).

$$\underline{M}_{ij} = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{d_e / 2} \cdot l, \quad (5)$$

$$\underline{M}_{1A} = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{d_e / 2} \cdot l \equiv \underline{M}_s, \quad (6)$$

$$\underline{M}_{2A} = \underline{M}_{3A} = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{D} \cdot l \equiv \underline{M}_m. \quad (7)$$

Similarly, the remaining own and mutual impedances are calculated $\underline{M}_{ij} = \underline{M}_{ji}$, between the phase conductors of the phases ($i = B, C$) and the three cable screens ($j = 1, 2, 3$). For Fig. 2, the single-phase equivalent of Fig. 1 [5] will be:

$$\underline{Z}_e = \frac{\underline{Z}_s + 2 \cdot \underline{Z}_m}{3}, \quad (8)$$

$$\underline{J}_e = \frac{\underline{M}_s + 2 \cdot \underline{M}_m}{\underline{Z}_s + 2 \cdot \underline{Z}_m} \cdot \underline{I}_{KV}, \quad (9)$$

$$\underline{r}_f = \frac{\underline{I}_{KV} - \underline{J}_e}{\underline{I}_{KV}} = 1 - \frac{\underline{J}_e}{\underline{I}_{KV}} = 1 - \frac{\underline{M}_s + 2 \cdot \underline{M}_m}{\underline{Z}_s + 2 \cdot \underline{Z}_m}. \quad (10)$$

When the strings are placed in a plane, it is valid [5]:

$$\underline{Z} = \begin{bmatrix} \underline{Z}_s & \underline{Z}_{m1} & \underline{Z}_{m2} \\ \underline{Z}_{m1} & \underline{Z}_s & \underline{Z}_{m1} \\ \underline{Z}_{m2} & \underline{Z}_{m1} & \underline{Z}_s \end{bmatrix}, \quad (11)$$

$$\underline{Z}_s = (0.05 + r_e + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{d_e / 2}) \cdot l, \quad (12)$$

TABLE I
CATALOG DATA FOR POLYETHYLENE CABLES OF THE TYPE NA2XS(FL)2Y U_M=123 kV

| Cross-section of conductor | Diameter of conductor | Insulation | | Copper screen | | Outer diameter of cable | Weight of cable | Max. pulling force | Min. bending radius |
|----------------------------|-----------------------|-------------------|--------------------------|-----------------|----------------------|-------------------------|-----------------|--------------------|---------------------|
| | | Average thickness | Diameter over insulation | Cross-section | Diameter over screen | | | | |
| mm ² | | mm | mm | mm ² | mm | kg / km | kN | m | |
| 1x150 RM | 14.2 + 0.20 | 18.0 | 54.4 | 95 | 62.1 | 72.1 | 4700 | 4.5 | 1.62 |
| 1x185 RM | 15.8 + 0.20 | 17.0 | 53.4 | 95 | 61.1 | 70.9 | 4650 | 5.55 | 1.60 |
| 1x240 RM | 17.8 + 0.10 | 16.0 | 53.3 | 95 | 61.0 | 70.8 | 4740 | 7.2 | 1.60 |
| 1x300 RM | 20.0 + 0.30 | 15.0 | 53.5 | 95 | 61.2 | 71.0 | 4850 | 9.0 | 1.60 |
| 1x400 RM | 22.9 + 0.30 | 15.0 | 56.4 | 95 | 64.1 | 74.1 | 5290 | 12.0 | 1.67 |
| 1x500 RM | 25.7 + 0.40 | 15.0 | 59.3 | 95 | 67.0 | 77.2 | 5810 | 15.0 | 1.75 |
| 1x630 RM | 29.3 + 0.50 | 15.0 | 64.1 | 95 | 71.8 | 82.4 | 6590 | 18.9 | 1.87 |
| 1x800 RM | 33.0 + 0.50 | 15.0 | 67.8 | 95 | 75.5 | 86.3 | 7320 | 24.0 | 1.96 |
| 1x1000 RM | 38.0 + 0.50 | 15.0 | 72.8 | 95 | 80.5 | 91.7 | 8290 | 30.0 | 2.08 |
| 1x1200 RM | 41.0 + 0.60 | 15.0 | 75.9 | 95 | 83.8 | 95.2 | 9150 | 36.0 | 2.17 |
| 1x1200 RMS | 43.6 + 0.80 | 15.0 | 79.2 | 95 | 87.1 | 98.7 | 9530 | 36.0 | 2.25 |
| 1x1400 RMS | 46.6 + 1.0 | 15.0 | 82.8 | 95 | 90.7 | 102.7 | 10440 | 42.0 | 2.34 |
| 1x1600 RMS | 50.0 + 1.0 | 15.0 | 86.8 | 95 | 95.1 | 107.3 | 11440 | 48.0 | 2.45 |
| 1x1800 RMS | 53.3 + 1.0 | 15.0 | 90.1 | 95 | 98.4 | 110.8 | 11290 | 54.0 | 2.53 |
| 1x2000 RMS | 55.4 + 1.2 | 15.0 | 92.4 | 95 | 100.7 | 113.3 | 12950 | 60.0 | 2.59 |

$$\underline{Z}_{m1} = (0.05 + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{D}) \cdot l, \quad (13)$$

$$\underline{Z}_{m2} = (0.05 + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{2D}) \cdot l, \quad (14)$$

$$\underline{M} = \begin{bmatrix} \underline{M}_s & \underline{M}_{ml} & \underline{M}_{m2} \\ \underline{M}_{ml} & \underline{M}_s & \underline{M}_{ml} \\ \underline{M}_{m2} & \underline{M}_{ml} & \underline{M}_s \end{bmatrix}, \quad (15)$$

$$\underline{M}_s = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{d_e / 2} \cdot l. \quad (16)$$

$$\underline{M}_{ml} = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{D} \cdot l, \quad (17)$$

$$\underline{M}_{m2} = 0.05 \cdot l + j \cdot 0.1445 \cdot \log \frac{D_{ek}}{2D} \cdot l, \quad (18)$$

$$\underline{Z}_e = \underline{Z}_s - \frac{2 \cdot (\underline{Z}_s - \underline{Z}_{ml})^2}{3 \cdot \underline{Z}_s - 4 \cdot \underline{Z}_{ml} + \underline{Z}_{m2}}, \quad (19)$$

$$\begin{aligned} J_e &= I_{KV} \cdot \frac{\underline{Z}_{m2} \cdot \underline{M}_{ml} + \underline{Z}_s \cdot (\underline{M}_s + \underline{M}_{ml} + \underline{M}_{m2})}{\underline{Z}_s^2 - 2 \cdot \underline{Z}_{ml}^2 + \underline{Z}_s \cdot \underline{Z}_{m2}} \\ &\quad - I_{KV} \cdot \underline{Z}_{ml} \cdot \frac{(\underline{M}_s + 2 \cdot \underline{M}_{ml} + \underline{M}_{m2})}{\underline{Z}_s^2 - 2 \cdot \underline{Z}_{ml}^2 + \underline{Z}_s \cdot \underline{Z}_{m2}} \end{aligned} \quad (20)$$

$$\begin{aligned} r_f &= 1 - \frac{\underline{Z}_{m2} \cdot \underline{M}_{ml} + \underline{Z}_s \cdot (\underline{M}_s + \underline{M}_{ml} + \underline{M}_{m2})}{\underline{Z}_s^2 - 2 \cdot \underline{Z}_{ml}^2 + \underline{Z}_s \cdot \underline{Z}_{m2}} \\ &\quad + \underline{Z}_{ml} \cdot \frac{(\underline{M}_s + 2 \cdot \underline{M}_{ml} + \underline{M}_{m2})}{\underline{Z}_s^2 - 2 \cdot \underline{Z}_{ml}^2 + \underline{Z}_s \cdot \underline{Z}_{m2}}. \end{aligned} \quad (21)$$

II. CALCULATION OF REDUCTION FACTORS FOR DIFFERENT CABLE CROSS SECTIONS

After the calculations made according to the above formulas, the results shown in Table II are obtained. The reduction factor of a bundle of three single-core cables placed in a triangle is smaller than that in a plane from 3.7% to 12% due to the obvious symmetry.

TABLE II
REDUCTION FACTORS OF HV CABLES

| Cross section mm ² | Triangle | Plane |
|-------------------------------|---------------------------|---------------------------|
| 2000 | 0.066e ^{j81.25°} | 0.074e ^{j76.72°} |
| 1600 | 0.082e ^{j80.88°} | 0.088e ^{j75.49°} |
| 1400 | 0.103e ^{j79.35°} | 0.109e ^{j75.71°} |
| 1200 | 0.139e ^{j77.16°} | 0.148e ^{j74.27°} |
| 1000 | 0.191e ^{j74.22°} | 0.198e ^{j74.77°} |

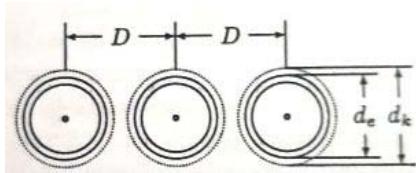


Fig. 3. Configuration plane

III. CALCULATION OF SHORT-CIRCUIT VOLTAGE CONDITIONS IN SUBSTATION CENTRAL

Central substation is connected to the South New substation by two 110 kV cables. The appearance of the circuit is presented in Fig. 4, and in Fig. 5 it's equivalent scheme, taking into account the transposition of the phases.

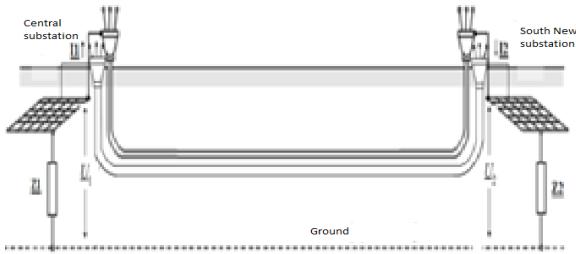


Fig. 4. View of the circuit between Central and South New substation during a short circuit in Central substation

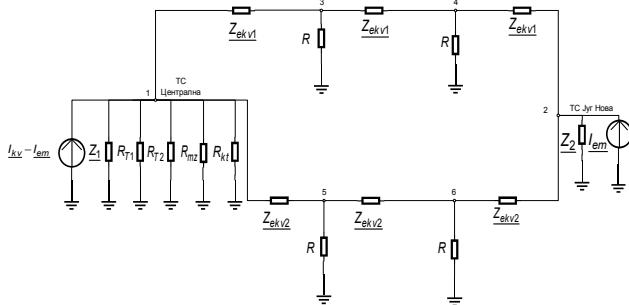


Fig. 5. Equivalent circuit scheme between Central and South New substation during short circuit in Central substation

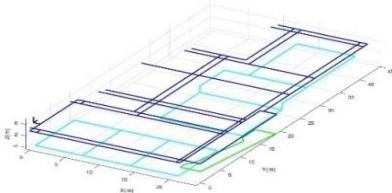


Fig. 6. Appearance of grounding of the Central substation

At 110 kV substation Central are tied, [4], Fig. 6:

- the old grounding of the building with an entrance impedance $Z_1=0.25 \Omega$,
- the new mesh grounding with grounding resistance $R_{mz}=4.508 \Omega$,

- both thorough grounding with grounding resistance $R_{T1}=4.42 \Omega$ and $R_{T2}=3.74 \Omega$,
- the cables tunnel grounding resistance $R_{kt}=6.81 \Omega$
- the first sections of two cables (their equivalent impedances)

The values of the groundings are obtained by computer simulation in Matlab. At the places where the phases of the cables are transposed (nodes 3,4,5,6), groundings are simulated with which the surge arresters are grounded and which are predicted to be at $R=5 \Omega$.

The third sections of the two cables are connected to the grounding of the South New substation and the grounding of the substation which is $Z_2 = 0.18 \Omega$. It should be emphasized that the EVN services have obtained the data for $Z_1=0.25 \Omega$ and $Z_2=0.18\Omega$ which are the average values of the measurements at several locations at these substations. At the same time, they do not represent grounding resistance of grounding conductors at substations, but input impedances that take into account the input impedances of all MV cables connected to the corresponding substations.

Fig. 5 shows that the network between the Central substation (node 1) and the South New substation (node 2) is composed of 6 nodes. After two additional nodes introduce the transposition of cables to 1/3 of their lengths 2.7 km or 4.11 km respectively, 0.9 km or 1.37 km. It is a non-radial network, so since the input impedance of the system at node 1 substation Central cannot be calculated by simply summing the admittances as in other cases in practice. The system can be solved using the method of independent voltages (potentials in the nodes). For this purpose, the matrix of admittances Y with dimensions 6×6 is formed first. Matlab calculates the impedance matrix $Z = Y^{-1}$, and then calculates the voltage vector in all 6 nodes of the network with the relation (22)

$$U = Z \cdot I. \quad (22)$$

From the power plant operator MEPSO, data were obtained for three-way and single-circuit short-circuit currents of 110 kV busbars in substation 110/35/10 (20) kV "Central".

| Initial node | Voltage (kV) | End node | Subtransient | | Transient | | Steady | | Subtransient | | Transient | | Steady | |
|--------------------|--------------|---------------------------------|--------------|------------|------------|------------|------------|------------|--------------|------------|------------|------------|------------|------------|
| | | | 3-SCC | 1-SCC | 3-SCC | 1-SCC | 3-SCC | 1-SCC | 3-SCC | 1-SCC | 3-SCC | 1-SCC | 3-SCC | 1-SCC |
| | | | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) | Module (A) |
| Central substation | 110 | | 17808 | 18083 | 17478 | 17924 | 15585 | 17209 | 29662 | 29598 | 28336 | 29144 | 21693 | 26375 |
| | | Substation South New Substation | 10220 | 9211 | 10031 | 9153 | 8945 | 8788 | 9195 | 8482 | 8950 | 8409 | 7671 | 7942 |
| | | Substation Central Substation | 7588 | 7434 | 7447 | 7387 | 6541 | 7092 | 6827 | 6905 | 6645 | 6842 | 5695 | 6438 |
| | | Rabbit Hill Substation | 0 | 457 | 0 | 464 | 0 | 446 | 13659 | 12788 | 12759 | 12493 | 8341 | 10728 |
| | | 110 kV Substation | 0 | 457 | 0 | 464 | 0 | 446 | 0 | 480 | 0 | 473 | 0 | 428 |
| | | 110 kV Substation | 0 | 457 | 0 | 464 | 0 | 446 | 0 | 480 | 0 | 473 | 0 | 428 |

According to [4], first the currents that are injected into the grounding systems of the Central substation and South New substation are calculated, and then the voltages of the respective groundings, according to the relation (22).

1) Triangle configuration, cross section 2000 mm²

$$Y = \begin{bmatrix} 5.309-j2.986 & 0+j0 & -0.269+j1.802 & 0+j0 & -0.178+j1.184 & 0+j0 \\ 0+j0 & 6.002-j2.986 & 0+j0 & -0.269+j1.802 & 0+j0 & -0.178+j1.184 \\ -0.269+j1.802 & 0+j0 & 0.737-j3.603 & -0.269+j1.802 & 0+j0 & 0+j0 \\ 0+j0 & -0.269+j1.802 & -0.269+j1.802 & 0.737-j3.603 & 0+j0 & 0+j0 \\ -0.178+j1.184 & 0+j0 & 0+j0 & 0+j0 & 0.555-j2.386 & -0.178+j1.184 \\ 0+j0 & -0.178+j1.184 & 0+j0 & 0+j0 & -0.178+j1.184 & 0.555-j2.386 \end{bmatrix}$$

$$Z = \begin{bmatrix} 0.180+j0.034 & 0.010-j0.028 & 0.121+j0.002 & 0.064-j0.016 & 0.118-j0.002 & 0.061-j0.020 \\ 0.010-j0.028 & 0.160+j0.026 & 0.057-j0.018 & 0.108-j0.004 & 0.055-j0.021 & 0.105-j0.006 \\ 0.121+j0.002 & 0.057-j0.018 & 0.181+j0.336 & 0.126+j0.111 & 0.093-j0.018 & 0.072-j0.023 \\ 0.064-j0.016 & 0.108-j0.001 & 0.126+j0.151 & 0.174+j0.342 & 0.072-j0.023 & 0.087-j0.019 \\ 0.118-j0.002 & 0.055-j0.021 & 0.093-j0.018 & 0.072-j0.023 & 0.236+0.492 & 0.160+j0.219 \\ 0.061-j0.020 & 0.105-j0.006 & 0.072-j0.023 & 0.087-j0.019 & 0.160+j0.219 & 0.230+j0.491 \end{bmatrix}$$

$$\underline{U} = \begin{bmatrix} \underline{U}_{CN} \\ \underline{U}_{JN} \\ \underline{U}_3 \\ \underline{U}_4 \\ \underline{U}_5 \\ \underline{U}_6 \end{bmatrix} = \begin{bmatrix} 294.6e^{-j65} \\ 2708.7e^{j5.66} \\ 969e^{-j13.01} \\ 1803.2e^{-j2.32} \\ 937.9e^{-j16.83} \\ 1756.2e^{-j4.62} \end{bmatrix}$$

2) Configuration plane, cross section 2000 mm²

$$Y = \begin{bmatrix} 5.351-j3.12 & 0+j0 & -0.295+j1.884 & 0+j0 & -0.194+j1.235 & 0+j0 \\ 0+j0 & 6.044-j3.12 & 0+j0 & -0.295+j1.884 & 0+j0 & -0.194+j1.235 \\ -0.295+j1.884 & 0+j0 & 0.789-j3.759 & -0.295+j1.884 & 0+j0 & 0+j0 \\ 0+j0 & -0.295+j1.884 & -0.295+j1.884 & 0.789-j3.769 & 0+j0 & 0+j0 \\ -0.194+j1.235 & 0+j0 & 0+j0 & 0+j0 & 0.588-j2.471 & -0.194+j1.235 \\ 0+j0 & -0.194+j1.235 & 0+j0 & 0+j0 & -0.194+j1.235 & 0.588-j2.471 \\ 0.178+j0.034 & 0.111-j0.029 & 0.121+j0.003 & 0.064-j0.016 & 0.119-j0.002 & 0.062-j0.020 \\ 0.011-j0.029 & 0.159+j0.026 & 0.058-j0.018 & 0.107-j0.001 & 0.056-j0.021 & 0.106-j0.006 \\ Z = \begin{bmatrix} 0.120+j0.003 & 0.058-j0.018 & 0.185+j0.319 & 0.127+j0.143 & 0.094-j0.017 & 0.073-j0.023 \\ 0.064+j0.016 & 0.107-j0.001 & 0.124+j0.144 & 0.094-j0.017 & 0.073-j0.023 & 0.244+j0.474 \\ 0.119-j0.002 & 0.056-j0.021 & 0.094-j0.017 & 0.073-j0.023 & 0.236+j0.475 & 0.161+j0.212 \\ 0.062-j0.020 & 0.106-j0.006 & 0.073-j0.023 & 0.088-j0.019 & 0.161+j0.212 & 0.230+j0.474 \end{bmatrix} \end{bmatrix}$$

$$\underline{U} = \begin{bmatrix} \underline{U}_{CN} \\ \underline{U}_{JN} \\ \underline{U}_3 \\ \underline{U}_4 \\ \underline{U}_5 \\ \underline{U}_6 \end{bmatrix} = \begin{bmatrix} 299.2e^{-j59.49} \\ 2680.5e^{j5.4} \\ 976.5e^{-j12.54} \\ 1793.7e^{-j2.28} \\ 962.8e^{-j16.4} \\ 1768e^{-j4.77} \end{bmatrix}$$

3) Triangle configuration, cross section 1600 mm²

$$Y = \begin{bmatrix} 5.355-j2.971 & 0+j0 & -0.297+j1.792 & 0+j0 & -0.195+j1.178 & 0+j0 \\ 0+j0 & 6.048-j2.97 & 0+j0 & -0.297+j1.792 & 0+j0 & -0.195+j1.178 \\ -0.297+j1.792 & 0+j0 & 0.794-j3.585 & -0.297+j1.792 & 0+j0 & 0+j0 \\ 0+j0 & -0.297+j1.792 & -0.297+j1.792 & 0.794-j3.585 & 0+j0 & 0+j0 \\ -0.195+j1.178 & 0+j0 & 0+j0 & 0+j0 & 0.59-j2.356 & -0.195+j1.178 \\ 0+j0 & -0.195+j1.178 & 0+j0 & 0+j0 & -0.195+j1.178 & 0.59-j2.356 \end{bmatrix}$$

$$Z = \begin{bmatrix} 0.179+j0.033 & 0.010-j0.028 & 0.121+j0.002 & 0.064-j0.016 & 0.119-j0.003 & 0.062-j0.020 \\ 0.010-j0.028 & 0.160+j0.026 & 0.057-j0.018 & 0.107-j0.002 & 0.055-j0.021 & 0.105-j0.006 \\ 0.121+j0.002 & 0.057-j0.018 & 0.186+j0.334 & 0.129+j0.150 & 0.094-j0.018 & 0.073-j0.024 \\ 0.064-j0.016 & 0.107-j0.002 & 0.129+j0.150 & 0.179+j0.333 & 0.073-j0.024 & 0.087-j0.020 \\ 0.119-j0.003 & 0.055-j0.021 & 0.094-j0.018 & 0.073-j0.024 & 0.249+j0.494 & 0.168+j0.220 \\ 0.062-j0.020 & 0.105-j0.006 & 0.073-j0.024 & 0.087-j0.020 & 0.168+j0.220 & 0.243+j0.493 \end{bmatrix}$$

$$\underline{U} = \begin{bmatrix} \underline{U}_{CN} \\ \underline{U}_{JN} \\ \underline{U}_3 \\ \underline{U}_4 \\ \underline{U}_5 \\ \underline{U}_6 \end{bmatrix} = \begin{bmatrix} 247.05e^{-j66.2} \\ 2705.45e^{j4.45} \\ 959.56e^{-j12.28} \\ 1798.14e^{-j2.96} \\ 945.14e^{-j16.29} \\ 1772.27e^{-j5.54} \end{bmatrix}$$

4) Configuration plane, cross section 1600 mm²

$$Y = \begin{bmatrix} 5.409-j3.098 & 0+j0 & -0.332+j1.871 & 0+j0 & -0.214+j1.227 & 0+j0 \\ 0+j0 & 6.102-j3.098 & 0+j0 & -0.332+j1.871 & 0+j0 & -0.214+j1.227 \\ -0.332+j1.871 & 0+j0 & 0.865-j3.743 & -0.332+j1.871 & 0+j0 & 0+j0 \\ 0+j0 & -0.332+j1.871 & -0.332+j1.871 & 0.865-j3.743 & 0+j0 & 0+j0 \\ -0.214+j1.227 & 0+j0 & 0+j0 & 0+j0 & 0.628-j2.454 & -0.214+j1.227 \\ 0+j0 & -0.214+j1.227 & 0+j0 & 0+j0 & -0.214+j1.227 & 0.628-j2.454 \end{bmatrix}$$

$$Z = \begin{bmatrix} 0.178+j0.034 & 0.011-j0.028 & 0.120+j0.003 & 0.064-j0.016 & 0.118-j0.003 & 0.062-j0.020 \\ 0.011-j0.028 & 0.159+j0.026 & 0.058-j0.018 & 0.100-j0.001 & 0.056-j0.021 & 0.105-j0.006 \\ 0.120+j0.003 & 0.058-j0.018 & 0.185+j0.319 & 0.127+j0.143 & 0.094-j0.017 & 0.073-j0.023 \\ 0.064-j0.016 & 0.107-j0.001 & 0.124+j0.144 & 0.094-j0.017 & 0.073-j0.023 & 0.244+j0.474 \\ 0.118-j0.002 & 0.056-j0.021 & 0.094-j0.017 & 0.073-j0.023 & 0.236+j0.475 & 0.164+j0.210 \\ 0.062-j0.020 & 0.105-j0.006 & 0.073-j0.023 & 0.088-j0.019 & 0.161+j0.210 & 0.238+j0.473 \end{bmatrix}$$

$$\underline{U} = \begin{bmatrix} \underline{U}_{CN} \\ \underline{U}_{JN} \\ \underline{U}_3 \\ \underline{U}_4 \\ \underline{U}_5 \\ \underline{U}_6 \end{bmatrix} = \begin{bmatrix} 262.1e^{-j53.03} \\ 2670.6e^{j4.48} \\ 972.5e^{-j11.57} \\ 1878e^{-j2.73} \\ 958.4e^{-j15.36} \\ 1763.7e^{-j5.18} \end{bmatrix}$$

IV. CONCLUSION

- The reduction factor of a bundle of three single-core cables placed in a triangle is smaller than that in a plane from 3.7% to 12% due to the obvious symmetry.
- On the one hand, smaller reduction factors contribute to reducing the voltage in the Central substation and thus relieving its grounding, but on the other hand they contribute to increasing the transferred potential in the South New substation and increasing the risks of excessive touch and step voltages in and around the South New substation.
- When choosing a HV cable, it is necessary to choose the optimal configuration in terms of meeting the criteria for safety in and around both substations.

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